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Tree Packing Conjecture

The Gyárfás tree packing conjecture says that any set of trees on $2, 3, \ldots, n$ vertices has an edge-disjoint packing into complete graph on n vertices. Bollobás version of conjecture says that for every $k \geq 1$ there is $n_0(k)$ such that if $n > n_0(k)$, then every set of k trees $T_n, T_{n-1}, \ldots, T_{n-k+1}$ such that T_{n-i} has $n - j$ vertices pack into K_n. These versions of conjecture have partial results. Gyárfás's conjecture in case, where all trees are either path or star. Bollobás's conjecture with $k \leq 5$. In the talk we present some results and we focus on Bollobás's conjecture for almost-paths and almost-stars.

This is joint work with Andrzej Żak.

References

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